

# New complete non-compact $\text{Spin}(7)$ manifolds

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Analogously to the work of Foscolo, Haskins, and Nordström in the  $G_2$  case, I developed a method to construct new complete non-compact  $\text{Spin}(7)$  manifolds as total spaces of torus bundles on asymptotically conical Calabi-Yau 3-folds.  $\text{Spin}(7)$  here means with holonomy strictly equal to  $\text{Spin}(7)$ . The torus bundles are required to satisfy a necessary topological condition. In this construction, I make use of the implicit function theorem to solve a system of PDEs which is equivalent to the holonomy being contained in the group  $\text{Spin}(7)$ . I also explain how to make use of my proof to give a more concise proof in the  $G_2$  case. Finally, I explain how to use this construction to build an infinite family of complete non-compact  $\text{Spin}(7)$  manifolds and to produce the first example of a toric complete non-compact  $\text{Spin}(7)$  manifold in the sense of Madsen-Swann.