

QUATERNIONIC MANIFOLDS WITH ROTATING CIRCLE ACTION

Aleksandra Borówka
Jagiellonian University, Institute of Mathematics
mail: aleksandra.borowka@uj.edu.pl

B. Feix [3] (and D. Kaledin [5] independently) showed that there exists a hyperkähler metric on a neighbourhood of the zero section of the cotangent bundle of any real-analytic Kähler manifold. B. Feix provided an explicit construction of its twistor space and showed that any hyperkähler manifold admitting a rotating circle action near its maximal fixed point set arises locally in this way. The construction have been further generalized to hypercomplex manifolds (see Feix [4]. Kaledin [6]), quaternionic manifolds (see Borówka, Calderbank [2]) and quaternion-Kähler manifolds (see Borówka [1]). In this poster we will discuss the cases of the construction and we will mention connections with c-map construction.

REFERENCES

- [1] A. Borówka, *Quaternion-Kähler manifolds near maximal fixed point sets of S^1 -symmetries*, AMPA 2020
- [2] A. Borówka, D. Calderbank *Projective geometry and the quaternionic Feix-Kaledin construction*, Trans. AMS 2019,
- [3] B. Feix, *Hyperkahler metrics on cotangent bundles*, J. reine angew. math. **532** (2001) 33–46.
- [4] B. Feix, *Hypercomplex manifolds and hyperholomorphic bundles*, Math. Proc. Cambridge Philos. Soc. **133** (2002), 443–457.
- [5] D. Kaledin, *Hyperkähler metrics on total spaces of cotangent bundles*, in D. Kaledin, M. Verbitsky, Hyperkähler manifolds, Math. Phys. Series **12**, International Press, Cambridge MA, (1999).
- [6] D. Kaledin, *A canonical hyperkähler metric on the total space of a cotangent bundle*, in Proceedings of the Second Quaternionic Meeting, Rome (1999), World Scientific, Singapore (2001).