POLYNOMIAL IDENTITIES FOR A PARAMETRIC WEYL ALGEBRA AND FOR SUBESPACES OF WEYL ALGEBRA

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ABSTRACT. In 2015 Benkart, Lopes and Ondrus introduced and studied in a series of papers the infinite-dimensional unital associative algebra A_h generated by elements x, y, which satisfy the relation yx - xy = h for some $0 \neq h \in F[x]$ (See [3]), i.e.,

$A_h(F) = Fxy/\mathrm{id}\{yx - xy - h\}.$

We, in a joint work with professor Artem Lopatin from the State University of Campinas, generalize this construction to $A_h(B)$ by working over the fixed F-algebra B instead of F. We describe the polynomial identities for $A_h(B)$ over the infinite field F in case $h \in B[x]$ satisfies certain restrictions (See [1]).

We also investigate the standard polynomial identities and minimal identities for certain subspaces of A_h over an infinite field of arbitrary characteristic (See [2]).

References

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