

# Secant Defectivity of Toric Varieties

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The *h-secant variety*  $\text{sec}_h(X)$  of a non-degenerate  $n$ -dimensional variety  $X \subset \mathbb{P}^N$  is the Zariski closure of the union of all linear spaces spanned by collections of  $h$  points of  $X$ . The *expected dimension* of  $\text{sec}_h(X)$  is  $\text{expdim}(\text{sec}_h(X)) := \min\{nh + h - 1, N\}$ . The actual dimension of  $\text{sec}_h(X)$  may be smaller than the expected one. Let  $N$  be a rank  $n$  free abelian group and  $M$  its dual. Let  $P \subseteq M_{\mathbb{Q}}$  be a full dimensional lattice polytope and  $X_P$  the corresponding toric variety.

In this talk we discuss a new technique to give bounds on the Secant Defectivity of  $X_P$  using information from the polytope  $P$ . It is a joint work with Antonio Laface and Alex Massarenti.