

# Min-Oo conjecture for fully nonlinear conformally invariant equations.

Marcos Petrúcio Cavalcante<sup>1</sup>, Ezequiel Barbosa<sup>2</sup>,  
José Espinar<sup>3</sup>

<sup>1</sup> Universidade Federal de Alagoas

<sup>2</sup> Universidade Federal de Minas Gerais

<sup>3</sup> IMPA/Universidad de Cadiz

We show rigidity results for super-solutions to fully nonlinear elliptic conformally invariant equations in subdomains of the standard  $n$ -sphere under suitable conditions on the boundary. This proves rigidity for compact connected locally conformally flat manifolds  $(M, g)$  with boundary such that the eigenvalues of the Schouten tensor satisfy a fully nonlinear elliptic inequality and whose boundary is isometric to a geodesic sphere  $\partial D(r)$ ,  $D(r)$  a geodesic ball of radius  $r \in (0, \pi/2]$  in  $S^n$ , and totally umbilical with mean curvature bounded below by the mean curvature of this geodesic sphere. Under the above conditions, we prove that  $(M, g)$  must be isometric to the closed geodesic ball  $D(r)$ .