

POSTER

A Comparison with the Fractal Method and the Wavelet Transform in Time Series Analysis

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Time series of geophysical quantities such as river discharge, wind velocity, air temperature, etc. can be seen as fractals, because of their often self-similar structure. Therefore, a fractal dimension can be defined for time series, which accounts for a more predictable (low fractal dimension) or less predictable (high fractal dimension) behavior. In this paper, time series of temperature, sea level pressure and precipitation at a station in the south region of Brazil are analyzed and their fractal dimensions are computed based in the Box-counting method. In order to verify the regimes transitions in the time series there are also executed a spectral analysis by mean the wavelet transformed. Inferences on the predictability of the distinct time series evolution are made and discussed.

Key words: Fractal, time series.

On The Burnside Problem In $\text{Symp}(M)$

Ana Lucia Da Silva And Julio Cesar Rebelo

In this paper we obtain some non-linear analogues of Schur's theorem asserting that a finitely generated subgroup of a linear group all of whose elements have finite order is, in fact, finite. The main result concerns groups of symplectomorphisms of certain manifolds of dimension 4 including the torus T^4 .

Theorem A: Let M be a compact 4-dimensional symplectic manifold and denote by $\text{Symp}(M)$ the group of symplectomorphisms of M (say of class C^2). Suppose that the fundamental class in $H_4(M, \mathbb{Z})$ is a product of classes in $H_1(M, \mathbb{Z})$. Then any finitely generated subgroup $G \subset \text{Symp}(M)$ having only elements of finite order is, in fact, finite.

Rotation Number with respect to external referential: definition and properties

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In this work we will show a new concept of rotation number for fields on manifolds. That number will measure how the fields rotate with respect to an external referential and introduce the concept of fields rotation with respect to curves.

The number is related with geometric concepts such as geodesic curvature and it presents a kind of stability property. This is a joint work with P. R. C. Ruffino, whose lecture at the event is on the same topic, and P. J. Catuogno.

Rotation number for random diffeomorphisms on the circle (conditions for random conjugacy)

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Consider a cocycle of random orientation preserving diffeomorphisms on the circle $f(t) : S^1 \rightarrow S^1$, based on a probability space $(\Omega; \mathcal{F}; P)$, with an ergodic shift $\mu : \Omega \rightarrow \Omega$. We present an ergodic theorem for the rotation number $R(f; \mu)$ of the composition of the random sequence $(f(\mu^n t))_{n \geq 0}$, Cf. [1]. If $R(f; \mu)$ is irrational, we look for conditions on the existence of a random (measurable) homeomorphism $h(t)$ which provides the cocycle conjugacy with rotation: $f(t) = h(\mu t) \pm R(f; \mu) \pm h(t)$. Yet, we investigate the existence of this cocycle conjugacy for a stochastic flow (non structurally stable) in S^1 .