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**Title:** Picard bundles and Brill-Noether loci in the compactified jacobian of a nodal curve

**Abstract:** Let  $Y$  denote an irreducible projective nodal curve with  $K$  nodes and of genus  $g(Y)$ . We prove a generalization of the classical Poincare formula to the compactified Jacobian  $J(Y)$ , the moduli space of torsionfree sheaves of rank 1, fixed degree  $d$  on  $Y$ . We apply it to show that the Brill-Noether loci in  $J(Y)$  are nonempty if the Brill-Noether number is nonnegative. We prove that for  $d \geq 2g(Y)$ , the picard bundle on  $J(Y)$  is stable but not ample unlike in the case of a smooth curve. However for the pull back of the Picard bundle to the desingularization of  $J(Y)$ , the restriction to a general complete intersection subvariety of codimension  $K$  is ample. We use this to show that the Brill-Noether loci are connected if the Brill-Noether number is bigger than  $K$ . We prove that the Picard bundle is semistable for  $d=2g(Y)-1$ .