

Sectional-Anosov flows of Venice mask type in compact 3-manifolds

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For each $n \in \mathbb{N}$, we show the existence of Venice masks (i.e. nontransitive sectional-Anosov flows with dense periodic orbits, [3], [5], [4],[2]) containing n equilibria on certain compact 3-manifolds. In addition, we present some properties related to Venice masks.

References

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