## Counting curves on singular surfaces

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Let $S$ be a smooth projective surface and $\mathcal{L}$ a line bundle. As is now well known, the number of $r$-nodal curves in the linear system $|\mathcal{L}|$ passing through he appropriate number of points on $S$ can be expressed as a polynomial of degree $r$ in the Chern numbers $\mathcal{L}^{2}, K_{S} \cdot \mathcal{L}, K_{S}^{2}$, and $c_{2}(S)$. There has recently been works by several authors (Ardila-Block, Liu-Osserman, Block-Göttsche) that attempt to find similar formulas in the case that $S$ is a singular toric surface. I will discuss this work, and also initial recent work by Nødland in the case of weighted projective planes.

